

# Higgs phenomenology in the warped extra dimensions

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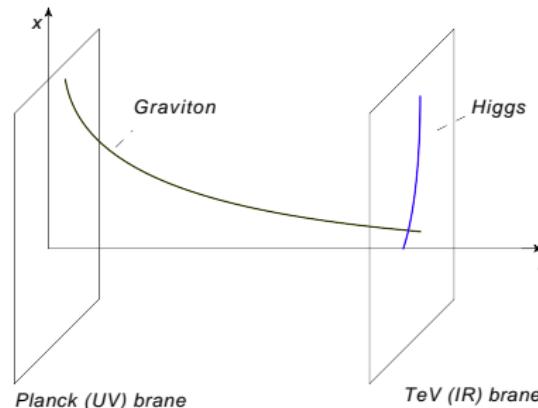
PRD80:035016,2009, AA, M.Toharia, L.Zhu  
AA, M.Toharia, L.Zhu arXiv:1006.XXXX[hep-ph]

# Outline

- 1 RS solution to the hierarchy problem
- 2 Standard Model in the bulk and RS GIM
- 3 Higgs phenomenology
- 4 Conclusion

# Randall-Sundrum model

(Randall,Sundrum 99)

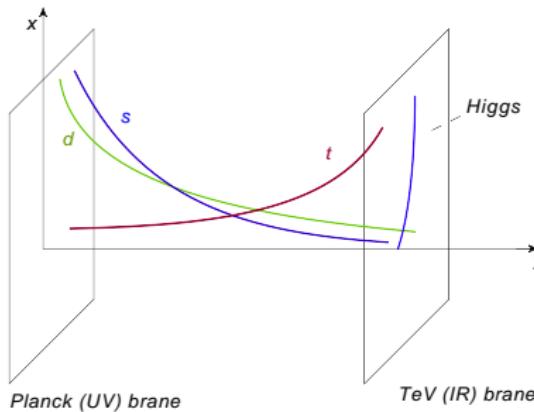


$$(ds)^2 = e^{-2ky} dx^2 - dy^2$$

$$\frac{\Lambda_{TeV}}{M_{Pl}} \sim e^{-kL}$$

# Fermions in the bulk

- One can easily explain large hierarchies in the fermion masses.  
(*Gherghetta, Pomarol; Grossman, Neubert...*)
- The mass is controlled by the fermion profile,  $f(y) \propto e^{(1/2-c)ky}$
- Small variation in the 5D mass parameter  $c$  will lead to the large hierarchies in the fermion masses.
- Large flavor violating operators will be suppressed (Agashe, Perez, Soni...)



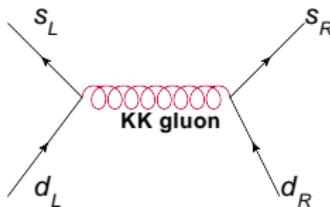
# Flavor Anarchy

- Coupling to Higgs and KK excitations are controlled by the values of the profiles at IR brane

$$\psi(c_i, y = \pi R) = f(c_i) \equiv \sqrt{\frac{1-2c_i}{1-(R/R')^{1-2c_i}}}, \quad \frac{R'}{R} = e^{kL}$$

- 5D masses are similar  $c_1 \sim c_2 \sim c_3$  but the values of the profiles are hierarchical  $f(c_1) \ll f(c_2) \ll f(c_3)$
- Masses of the SM fermions:  $m_{ij} = \frac{yv}{\sqrt{2}} f(c_i) f(c_j)$  are hierarchical
- Mixing matrices are hierarchical  $V_{CKM} \sim (O_L^u)_{ij} \sim (O_L^d)_{ij} \sim \frac{f(c_j^q)}{f(c_i^q)}$   
 $(O_R^u)_{ij} \sim \frac{f(c_i^u)}{f(c_j^u)}, (O_R^d)_{ij} \sim \frac{f(c_i^d)}{f(c_j^d)}, \quad i < j$

# Bounds from low energy observables

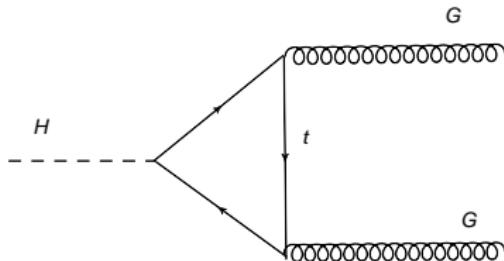


- $K_0 - \bar{K}_0$  oscillations,  $\epsilon_K \sim g_{5D}^2 \frac{f(c_L^d)f(c_R^d)f(c_L^s)f(c_R^s)}{M_{KK}^2} \sim \frac{g_{5D}^2 m_d m_s}{Y_*^2 M_{KK}^2 v^2}$
- $M_{kk} \gtrsim 10(5)$  TeV - Brane(Bulk Higgs) Higgs  
 $(Csaki, Falkowski, Weiler; Blanke, Buras, Duling, Gori, Weiler; Casagrande, Goertz, Haisch, Neubert, Pfoh; AA, Agashe, Zhu; Perez, Gedalia)$

- In the next part of my talk I will analyze couplings of the Higgs to  $HGG$  and  $H\gamma\gamma$
- three days ago on arXiv appeared paper (arXiv:1005.4315 [hep-ph] (Sandro Casagrande, Florian Goertz, Uli Haisch, Matthias Neubert, Torsten Pfoh)) where authors also analyzed these couplings.

# Higgs coupling to the gluons

- In the SM Higgs to glue glue coupling arises dominantly from the diagram

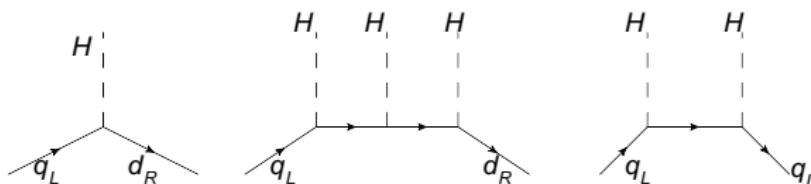


- In RS this contribution will be modified by the factor

$$\sim \frac{v}{M_{KK}^2} HG^{\mu\nu} G_{\mu\nu}$$

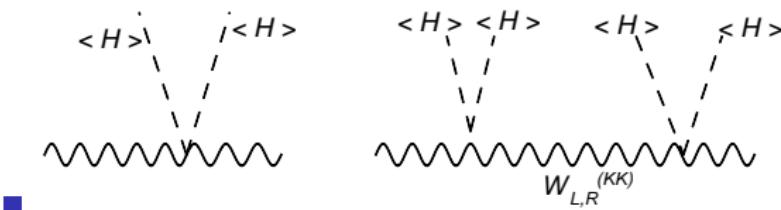
- top Yukawa coupling is modified
- vev of the Higgs is modified
- KK modes of all the fermions running inside loop.

# Modification of top Yukawa coupling



- $y_{ij} H \bar{Q}_{L_i} D_{R_j}$ ,  $\lambda_{ij} \frac{H^2}{\Lambda^2} H \bar{Q}_{L_i} D_{R_j}$ ,  $k_{ij}^Q \frac{H^2}{\Lambda^2} \bar{Q}_{L_i} \not{\partial} Q_{L_j}$
- $m_{ij} = v \left( y_{ij} + \lambda_{ij} \frac{v^2}{\Lambda^2} \right) \bar{Q}_{L_i} D_{R_j}$ ,  $Y_{ij} = \left( y_{ij} + 3\lambda_{ij} \frac{v^2}{\Lambda^2} \right) \frac{h}{\sqrt{2}} \bar{Q}_{L_i} D_{R_j}$
- $a_{tt} = 1 - \frac{Y_t v}{m_t \sqrt{2}} \sim Y_*^2 v^2 R'^2$
- same effect will lead to the flavor violation in the Higgs sector.  
 $(Agashe, Contino; AA, Toharia, Zhu; Duling; Casagrande, Goertz, Haisch, Neubert, Pfoh.)$

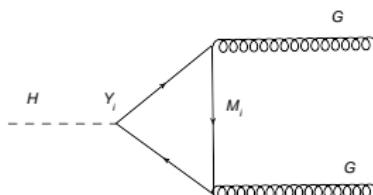
# Higgs vev shift



- $M_w \neq \frac{1}{2}g < H >$ ,  $< H > \equiv \tilde{v}$
- $v^2 = \tilde{v}^2 \left(1 - \frac{R'^2 \tilde{v}^2}{8R} (\tilde{g}_{5D}^2 + g_{5D}^2)\right)$ , ( $v = 246 \text{ GeV}$ , SM Higgs vev)
- $\frac{\tilde{v}}{v} \approx 1.05$  ( $R'^{-1} = 1500 \text{ TeV}$ ,  $g_{5D} = \tilde{g}_{5D}$ )
- If  $\tilde{g}_{5D} > g_{5D}$  then it can lead to strong modification of the Higgs vev  
(Bouchart, Moreau)

# Contribution of the heavy modes

- we want to study effects of the particles which are much heavier than the Higgs field so we can use low energy theorems



- $\frac{\alpha}{12\pi} \frac{h}{v} G^{\mu\nu} G_{\mu\nu} \sum_{\text{Heavy}} \frac{Y_i}{M_i}$
- $\sum_{\text{All}} \frac{Y_i}{M_i} = \frac{\partial \ln(Det M)}{\partial v}$

# Calculating Determinant

- For simplicity we will start with one generation  $q$ -SM doublet,  $d$  SM singlet

$$M = \begin{pmatrix} Y_{qd}v & 0 & Y_{qD^1}v & 0 & Y_{qD^2} & \dots \\ Y_{Q^1d}v & M_{Q^1} & Y_{QD}v & 0 & Y_{QD_2} & \dots \\ 0 & Y_{D^1Q^1}v & M_{D^1} & Y_{D_1Q_2} & 0 & \dots \\ & & & M_{Q^2} & & \vdots \\ & & & & M_{D^2} & \\ \dots & \dots & \dots & \dots & \dots & \dots \end{pmatrix}$$

$$Y_{qd} \equiv \int dz \left(\frac{R}{z}\right)^5 q(z)d(z)H(z)$$

- 

$$\begin{aligned} \text{Det}M &= y_{qd}v \prod_{I,n} M_{Q^I} M_{D^n} \left( 1 - \sum_{i,j} \left[ \frac{v^2 Y_{D^j Q^i} Y_{D^j Q^i}}{M_{Q^i} M_{D^j}} - \frac{v^2 Y_{Q^i d} Y_{q D^j}}{Y_{qd} M_{Q^i} M_{D^j}} \right] \right) \\ &\quad + O(v^5) \end{aligned}$$

- In RS we have to sum infinite tower of KK modes

$$\frac{\partial \ln \text{Det}M}{\partial v} = \frac{1}{v} \left( 1 + \sum_{i,j} \frac{2v^2 Y_{D_i Q_j}}{M_{Q^j} M_{D^i}} \left( -Y_{Q^j D^i} + \frac{Y_{Q^j d} Y_{q D^i}}{Y_{qd}} \right) \right) + O(v^3)$$

$i, j$  refer to the KK modes.

- subtracting contribution of the zero modes

$$\sum_{\text{heavy}} \frac{Y}{M} = - \sum_{i,j} \frac{2v Y_{D_i Q_j} Y_{Q_j D_i}}{M_{Q^j} M_{D^i}} + O(v^3)$$

# Performing KK sum

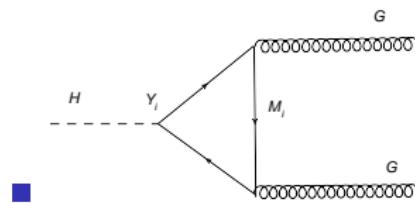


$$\frac{Y_{D^i Q^j} Y_{Q^j D^i}}{M_{Q^j} M_{D^i}} = \int dz_1 dz_2 \left(\frac{R}{z_1}\right)^5 \left(\frac{R}{z_2}\right)^5 \cdot \\ \frac{Q_R^{(j)}(z_1) Q_L^{(j)}(z_2)}{M_{Q^j}} \frac{D_L^{(i)}(z_1) D_R^{(i)}(z_2)}{M_{D^i}} H(z_1) H(z_2)$$

- using completeness relations one can prove that

$$\sum \frac{1}{M_{Q^n}} Q_R^{(n)}(z_1) Q_L^{(n)}(z_2) = -z_1^{2+c} z_2^{2-c} \theta(z_1 - z_2) + z_1^{2+c} z_2^{2-c} \frac{\left(\frac{z_1}{R}\right)^{1-2c} - 1}{\left(\frac{R'}{R}\right)^{1-2c} - 1}$$

# Contribution of the KK fermions to the triangle diagram



$$\sum_{\text{Heavy}} \frac{Y^i}{M^i} = v R'^2 Y_*^2$$

- even KK towers of the light fermions will contribute significantly
- This result is NOT TRUE in the models where Higgs is PNGB.  
(*Falkowski; Low, Rattazzi, Vichi*)

# Realistic Model

- Fermions should be in the multiplets of custodial  $SU(2)_L \times SU(2)_R$   
*(Agashe, Delgado, May, Sundrum)*
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$$SU(2)_L \text{ doublet } q = \begin{pmatrix} q_L^u(+,+) \\ q_L^d(+,+) \end{pmatrix},$$

$$SU(2)_R \text{ doublets } q_1 = \begin{pmatrix} q_L^{1,u}(+,-) \\ q_L^{1,d}(-,-) \end{pmatrix}, \quad q_2 = \begin{pmatrix} q_L^{2,u}(-,-) \\ q_L^{2,d}(+,-) \end{pmatrix}$$

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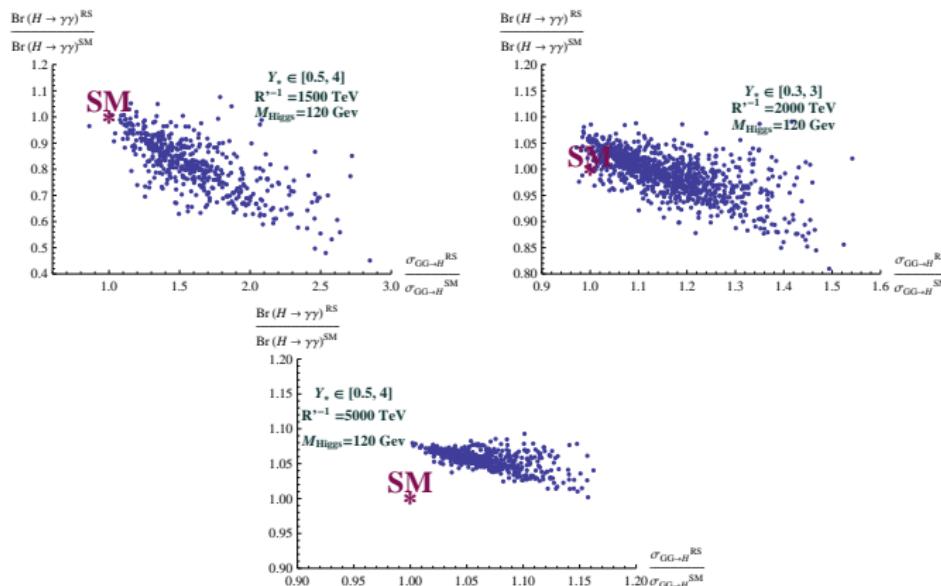
$$\mathcal{L}_{Yuk} = Y_{5D}^u \bar{q} q_2 H + Y_{5D}^d \bar{q} q_1 H$$

# Ratio of Higgs to glue glue couplings

- Now we can present results

$$\frac{\text{Higgs}GG^{RS}}{\text{Higgs}GG^{SM}} = 1 + \frac{v^2 R'^2}{3F(\tau^{SM})} Tr [Y_*^u(Y_*^u)^\dagger + Y_*^d(Y_*^d)^\dagger] - a_{tt} \left[ \text{where } a_{tt} \equiv \left(1 - \frac{Y_t v}{m_t \sqrt{2}}\right) \sim \bar{Y}_*^2 v^2 R'^2 \right] - \frac{R'^2 v^2}{16R} (\tilde{g}_{5D}^2 + g_{5D}^2)$$

# Numerical scan



**Figure:** Modifications of the Higgs production from glue glue fusion and branching ratios to  $\gamma\gamma$  ( $R^{-1} \approx M_{kk}/2.5$ )

# Summary

- Warped extra dimensions with SM in the bulk provide a very attractive scenario of BSM physics
- Higgs couplings can be significantly modified.
- KK towers of light fermions provide a very important contribution to the  $HGG$  and  $H\gamma\gamma$  couplings.
- Even for  $M_{kk} \gtrsim 10\text{TeV}$  we can get up to 20% modification of the Higgs production from the glue glue fusion